

Using weather prediction ensembles for optimizing offshore wind forecasts

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Supervisor

Coordination



Bundesministerium
für Umwelt, Naturschutz
und Reaktorsicherheit



Outline

- Data
- Baseline: Assume normal errors
- Alternative 1: Variance Inflation
- Alternative 2: Gaussian Ensemble Dressing
- Conclusions



Rave



Forecast Target:
FINO-1 Met Mast
(wind speed)



FINO 1

FINO 1
(50m)



FINO 1

Downscaled to 10m →



FINO 1

- Downscaled to 10m
- Logarithmic assumption



FINO 1

Downscaled to 10m

- Logarithmic assumption
- Matches NWP



Forecast Input: Poor Man's Ensemble Prediction System

■ Poor Man's Prediction Ensembles

- 23 deterministic NWP forecasts, 20 European weather services
- Based on four different regional models (COSMO, HIRLAM, UKMO, ALADIN)
- Provided by DWD (German Weather Service)

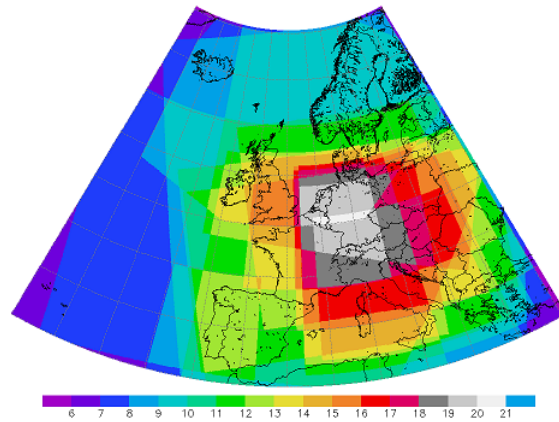
■ Forecast horizons: 1-48 hrs



Provided by



Required Spatio-Temporal Overlap → Ensemble Subset

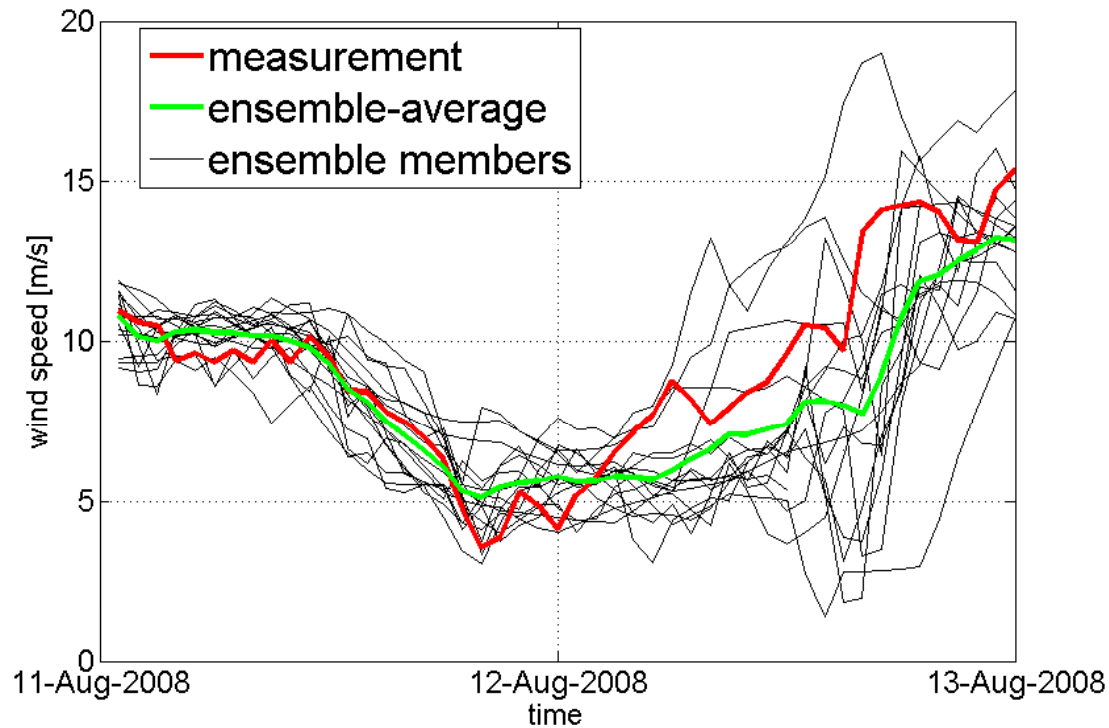


2007/2008: 12 members with sufficient data



Probabilistic forecasting based on ensemble predictions

Example of an ensemble prediction

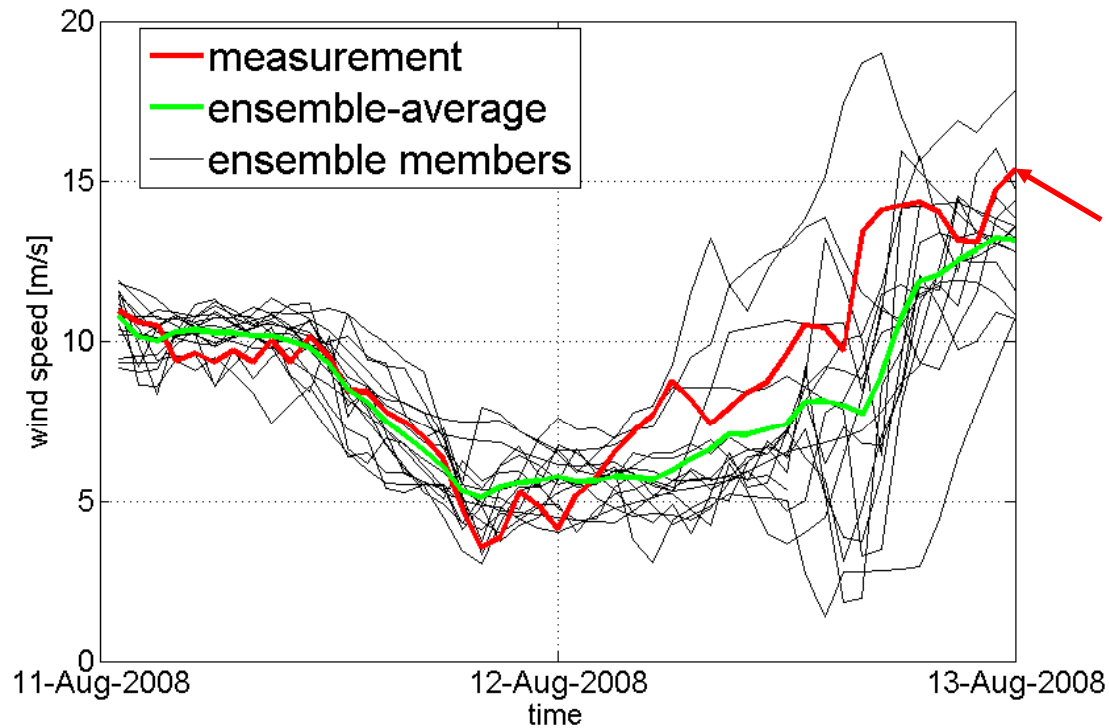


- Ensembles:
Set of same-horizon forecasts



Probabilistic forecasting based on ensemble predictions

Example of an ensemble prediction

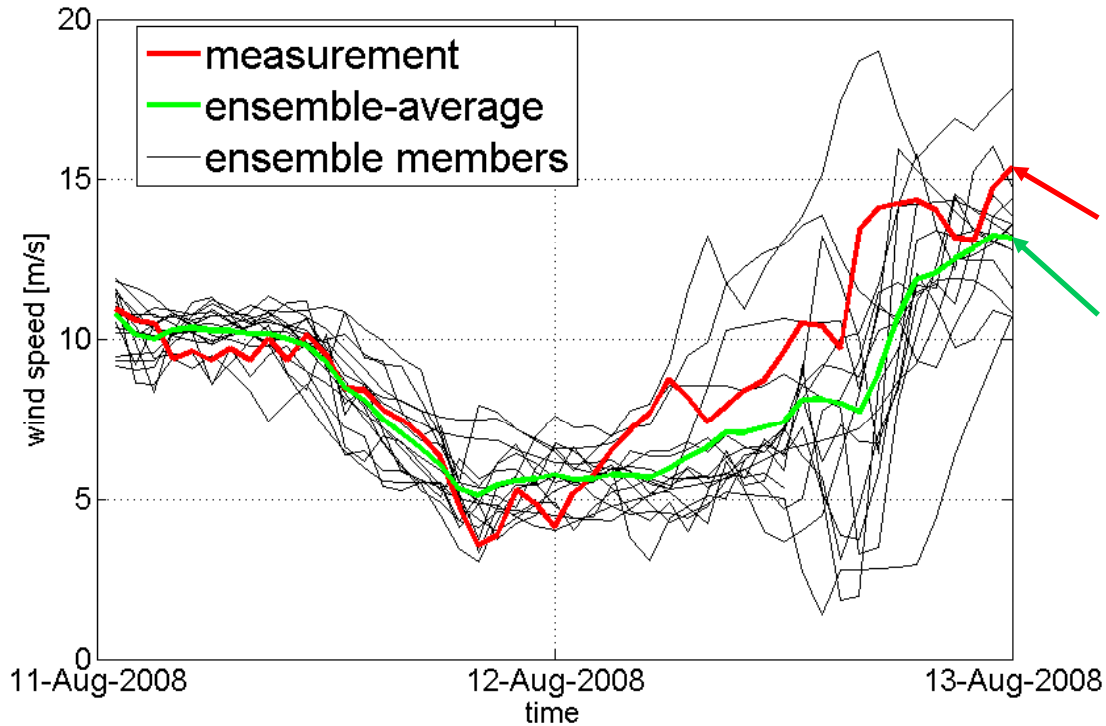


- Ensembles:
Set of same-horizon forecasts
- Measurement



Probabilistic forecasting based on ensemble predictions

Example of an ensemble prediction

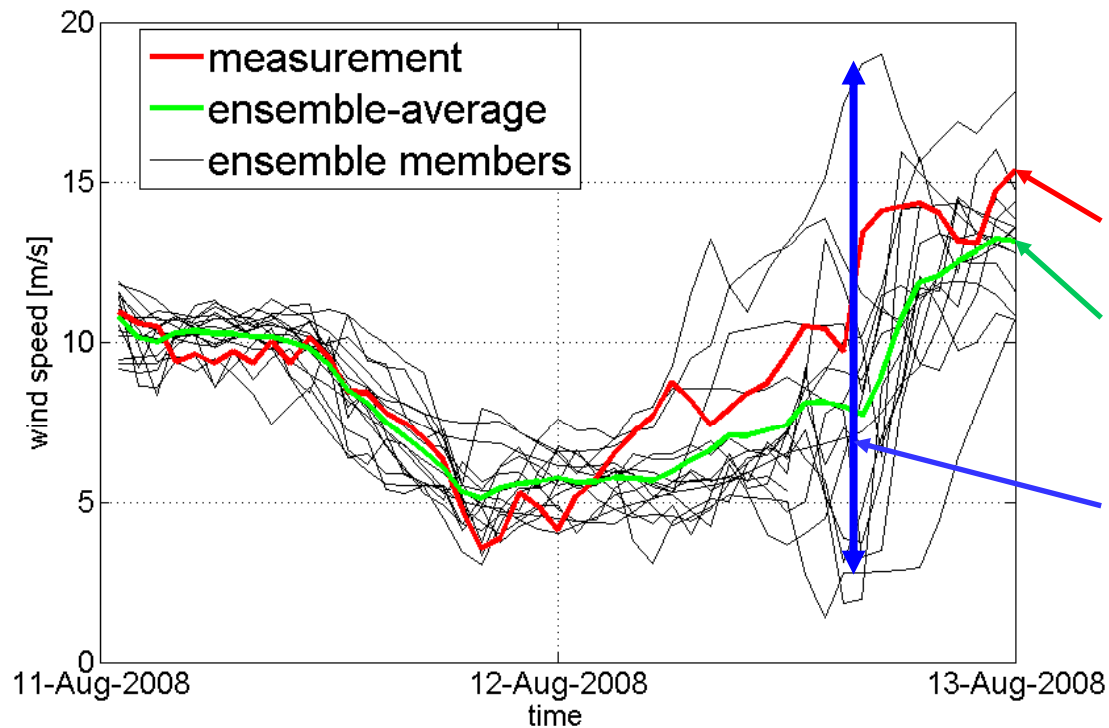


- Ensembles:
Set of same-horizon forecasts
- Measurement
- Ensemble average:
(normally) a good forecast



Probabilistic forecasting based on ensemble predictions

Example of an ensemble prediction



- Ensembles:
Set of same-horizon forecasts
- Measurement
- Ensemble average:
(normally) a good forecast
- Ensemble spread
(normally) a good indicator of forecast uncertainty



Baseline System: Assume Normal Distributed Error

Assumption: Wind speed forecast error is normal distributed

$$\Delta_{ws} \sim N(\mu, \sigma^2)$$

→ Probabilistic forecast at time t is based on a normal distribution

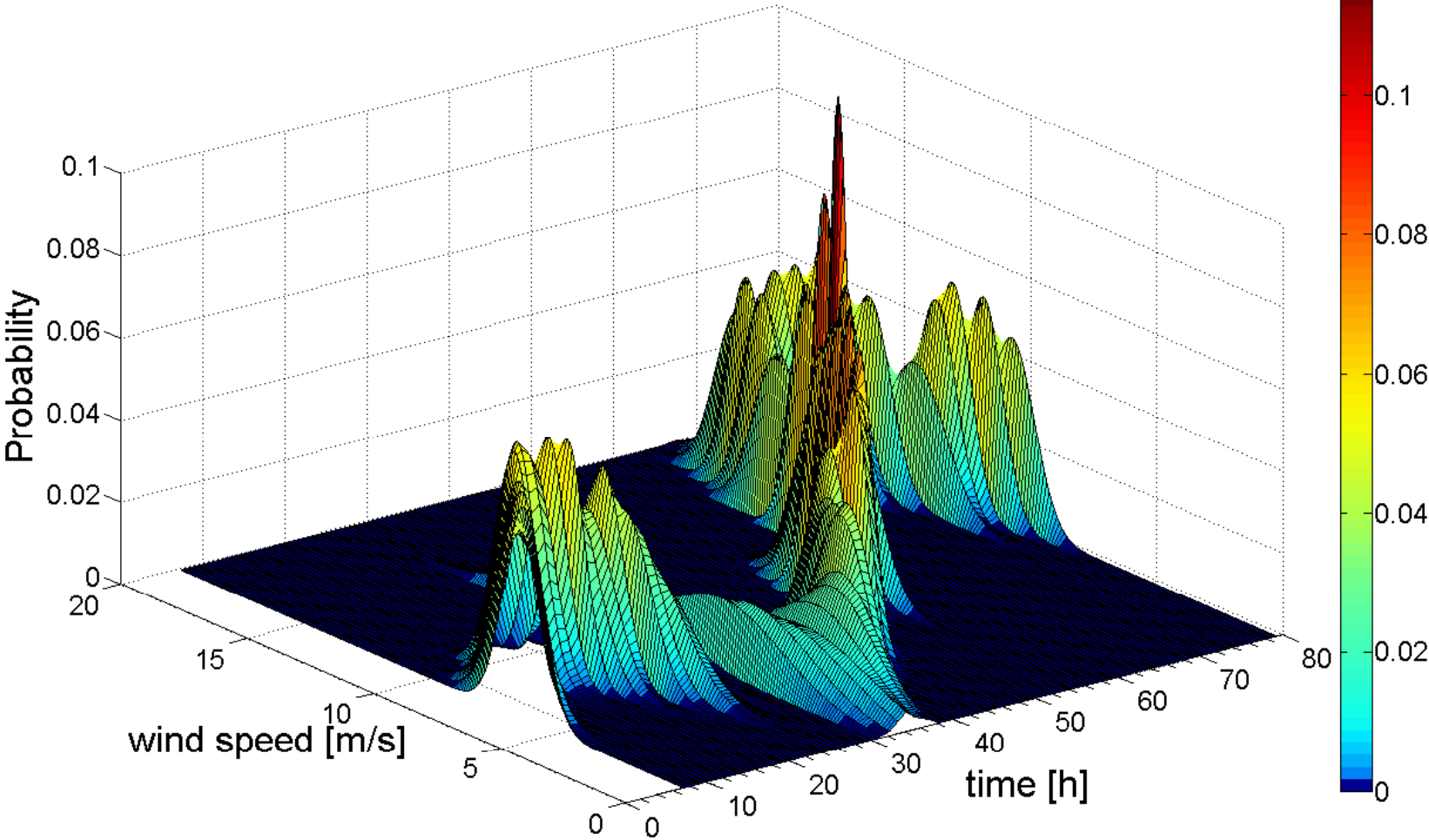
$$\text{forecast}(t) \sim N(\mu(t), \sigma^2(t))$$

$\mu(t)$ = ensemble average at time t

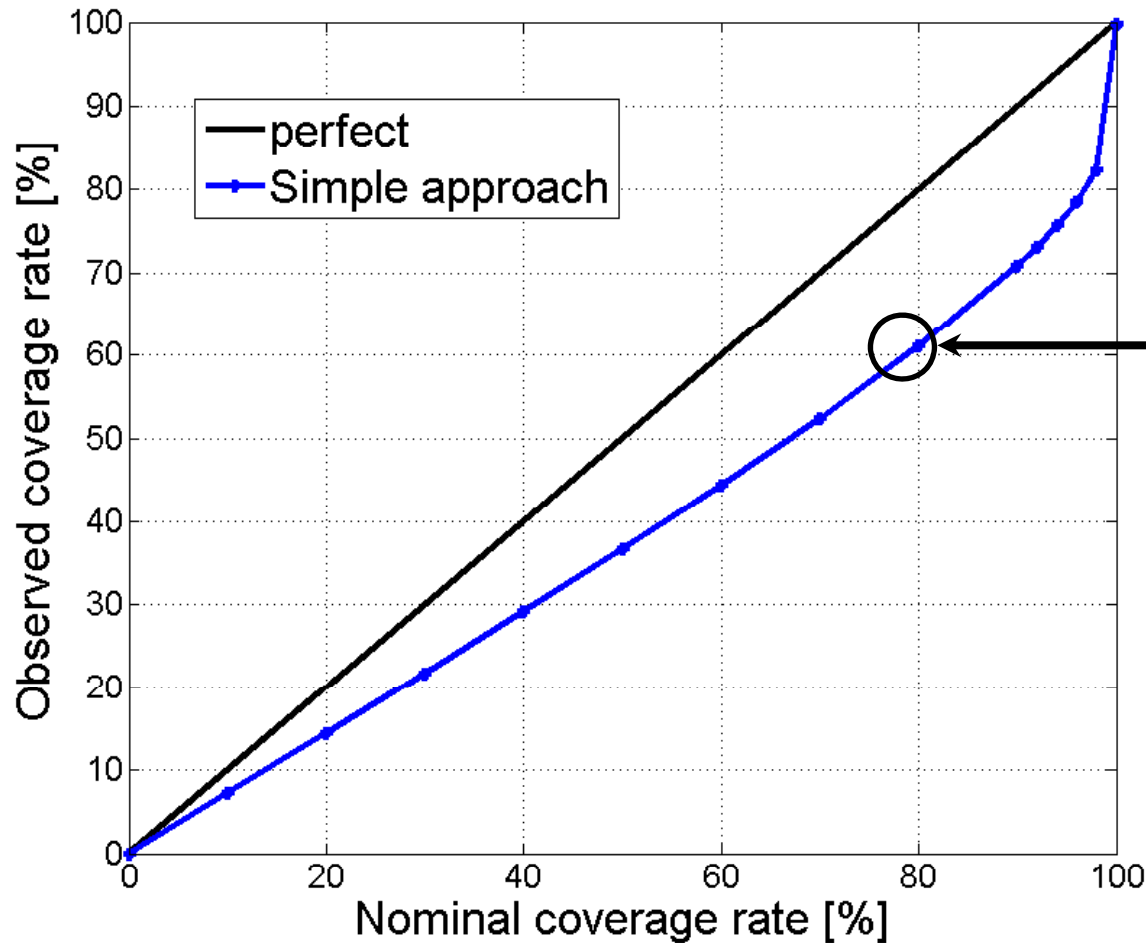
$\sigma(t)$ = ensemble standard deviation @ t



Baseline Forecast: Normal Assumption



Baseline forecast: Reliability: do the distributions match?



e.g. 60% of all measurements within the 80%-Interval
(avg. across horizons)

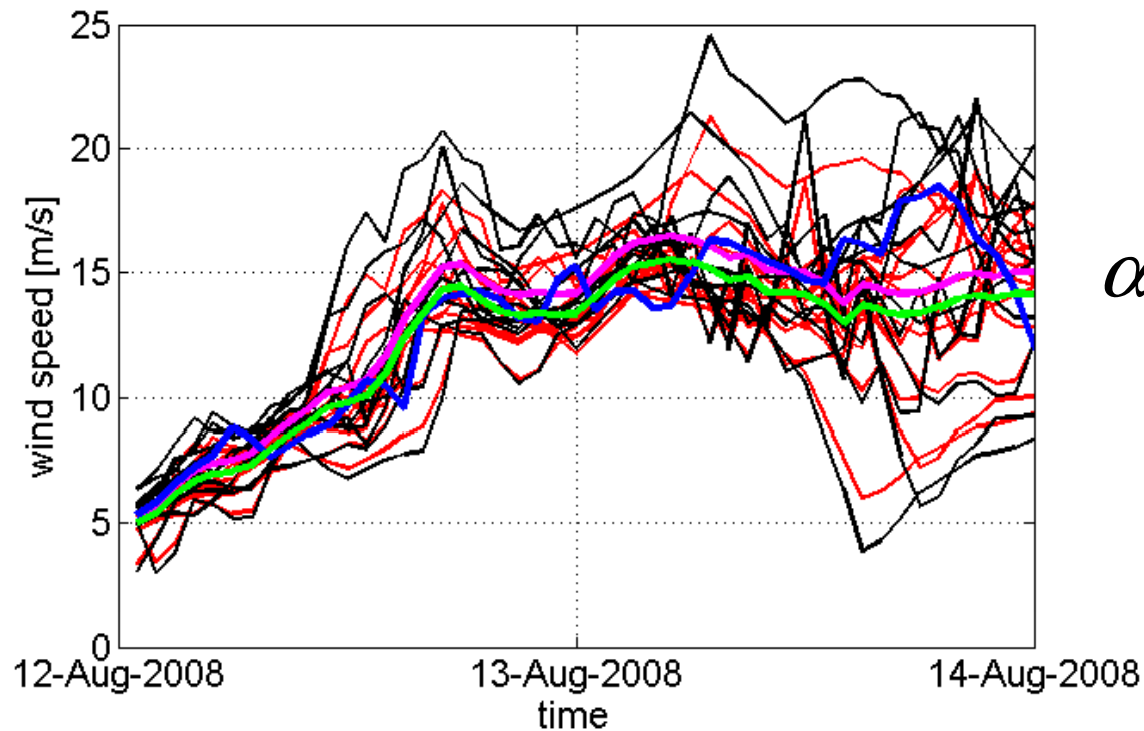
→ Not so good

(Averaged over forecast horizons)



Alternative 1: Variance Inflation

$$S_{cal,i}(t) = \alpha * \mu(t) + \beta * (S_i(t) - \mu(t))$$

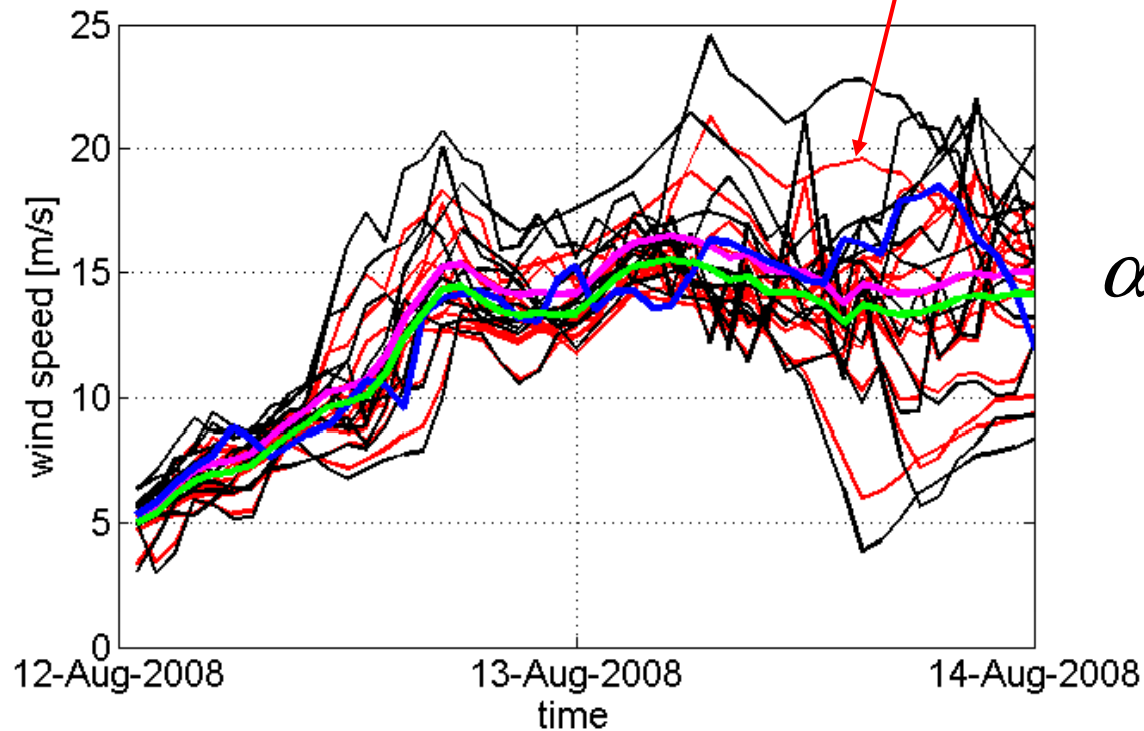


α, β derived from
historical 2007 data



Alternative 1: Variance inflation

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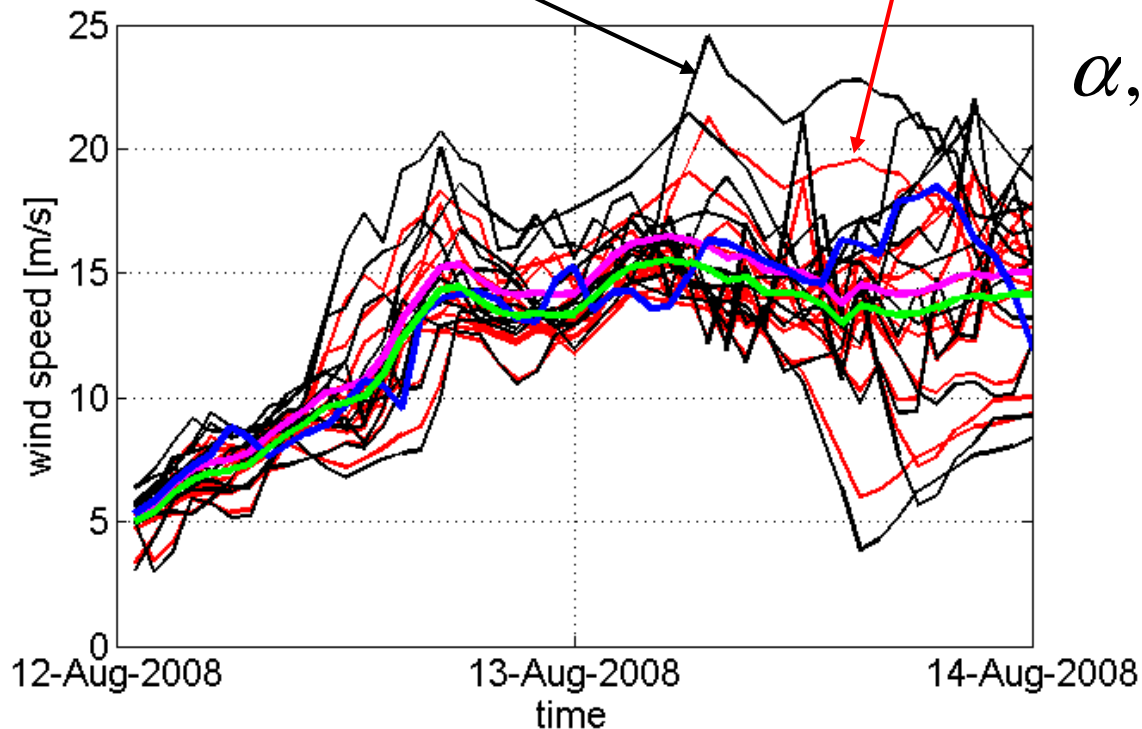


α, β derived from
historical 2007 data



Alternative 1: Variance inflation

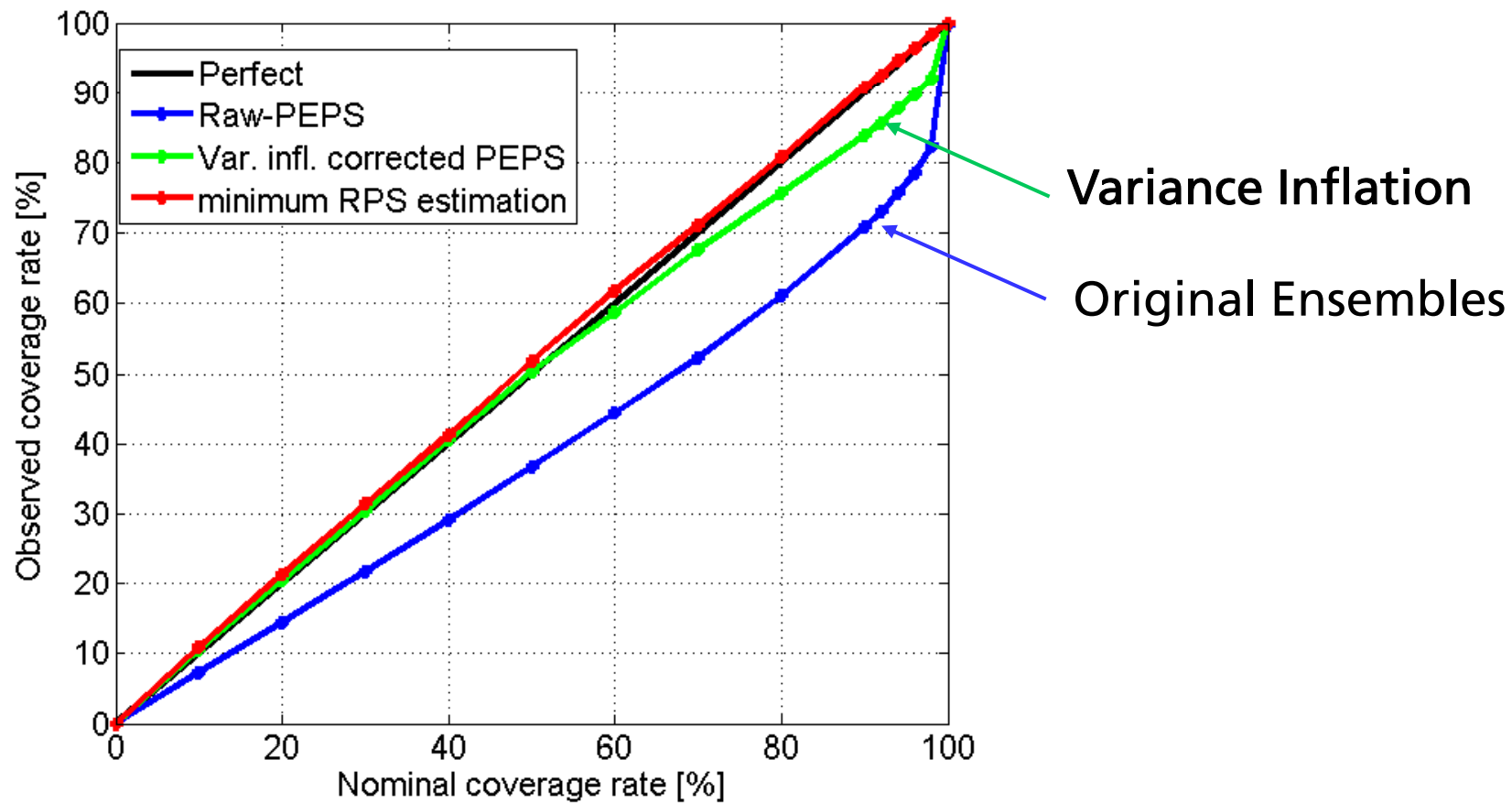
$$S_{cal,i}(t) = \alpha * \mu(t) + \beta * (S_i(t) - \mu(t))$$



α, β from regression
against 2007
measurements



Variance Inflation: Improved Reliability

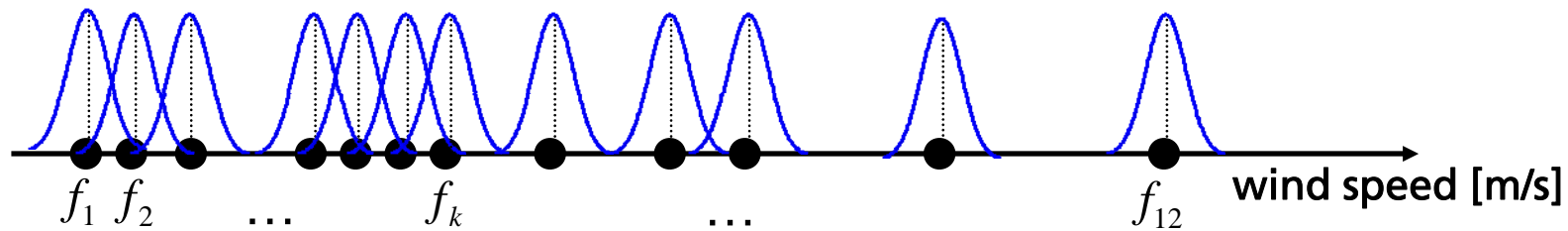


Alternative 2: Gaussian Ensemble Dressing

1.) Normal distribution around each ensemble member at time t:

$$N_t(f_k, \sigma^2) \text{ with: } f_k \text{ forecast of ensemble member } k$$

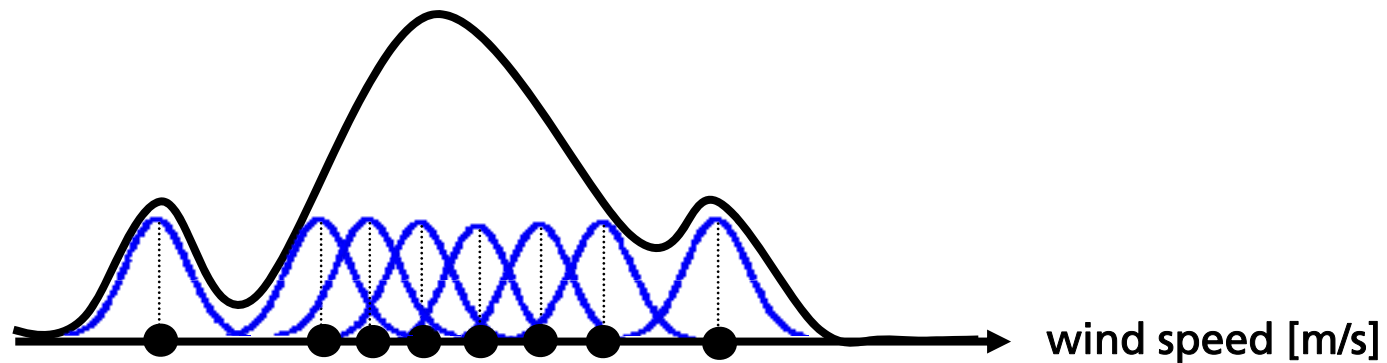
σ standard deviation, same for all k



Gaussian Ensemble Dressing

2.) Weighted linear combination

$$P_t = \sum_k^{12} w_k N_t(f_k, \sigma^2) \quad \text{with} \quad \sum_k^{12} w_k = 1$$



Gaussian Ensemble Dressing

3.) Optimization of the unknown parameters: w_1, w_2, \dots, w_{12} & σ

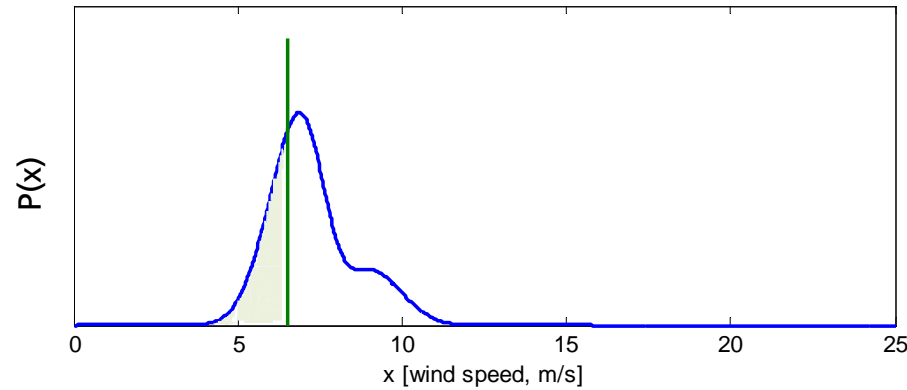
$$P_t = \sum_k^{12} w_k N_t(f_k, \sigma^2)$$

... by minimization of *“Ranked Probability Score (RPS)”*

Minimize the cdf difference at each time, t
(over 2007 measurements)

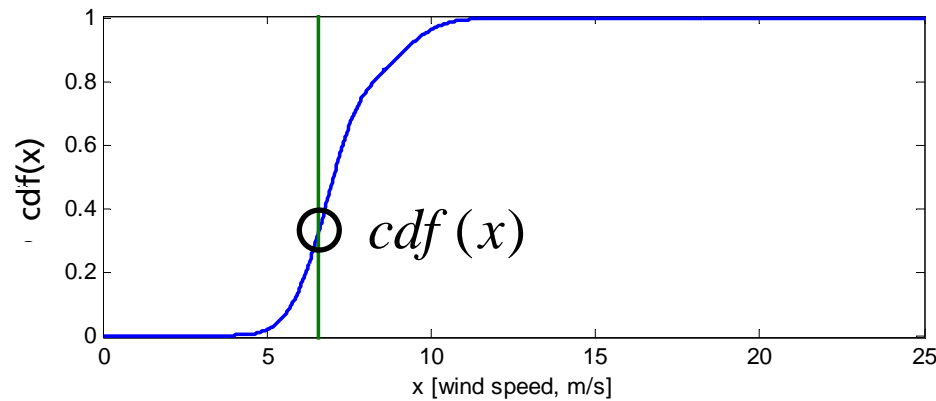


Gaussian Ensemble Dressing: RPS



Probability Density Function

$$P(x) = \text{prob}(\text{meas} = x)$$

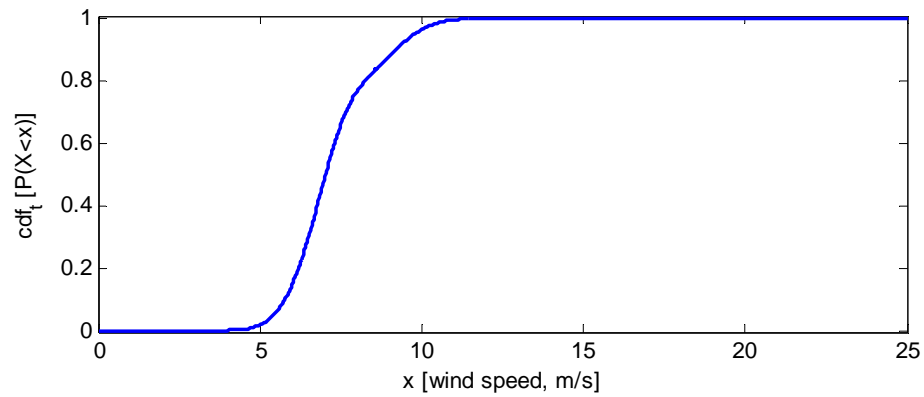
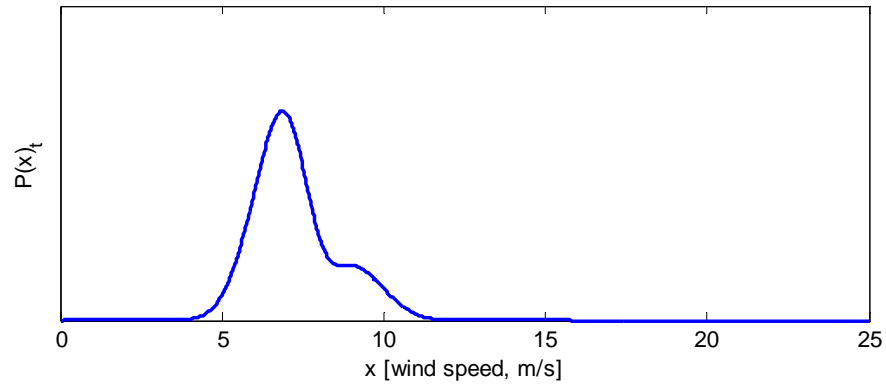


Cumulative Density Function

$$\text{cdf}(x) = \text{prob}(\text{meas} \leq x)$$

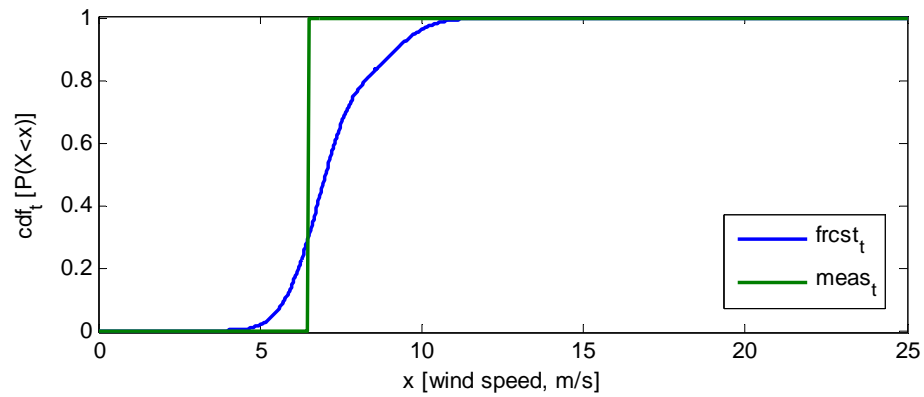
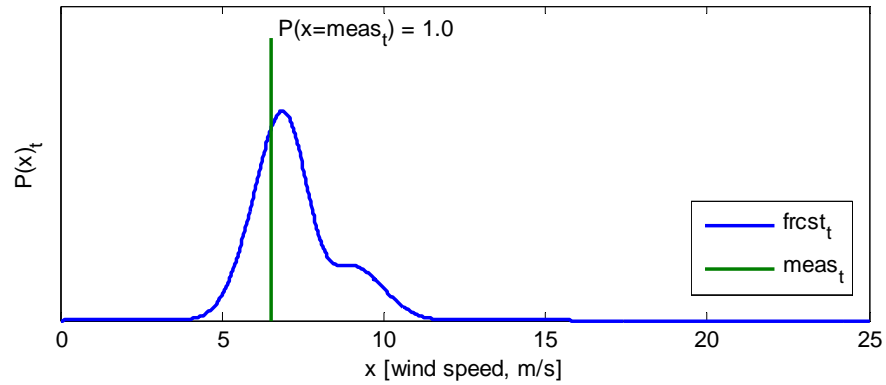


Gaussian Ensemble Dressing: RPS

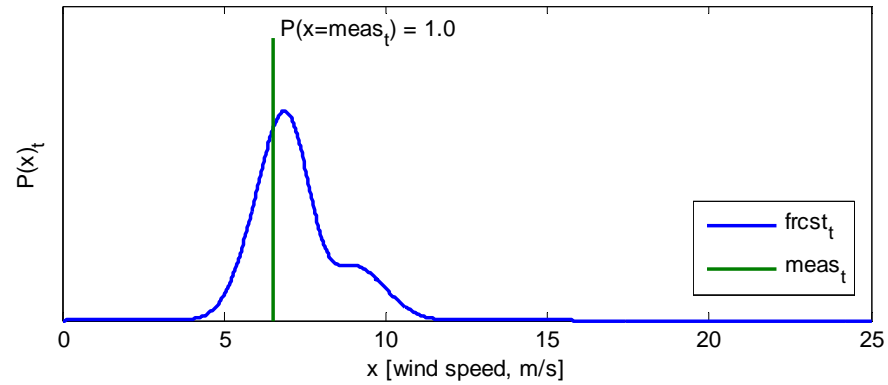


Gaussian Ensemble Dressing: RPS

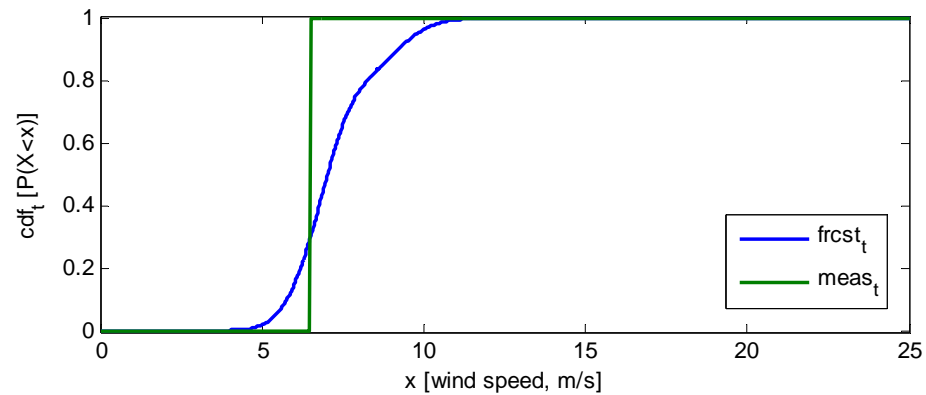
Measurement probability: 1.0



Gaussian Ensemble Dressing: RPS



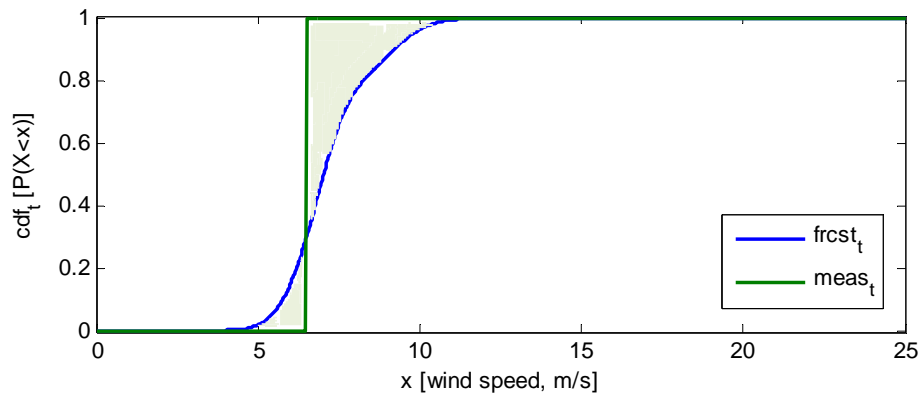
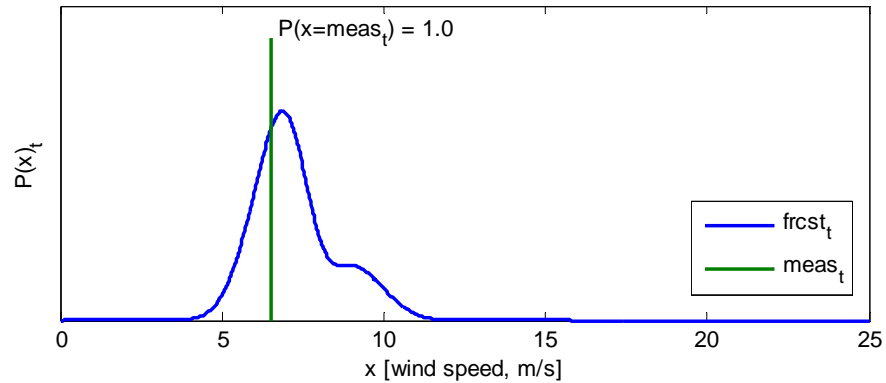
Measurement probability: 1.0



Measurement cdf: step function



Gaussian Ensemble Dressing: RPS



➔ **RPS:** a function of cdf error²

$$\Delta cdf(t, h) =$$

$$\int_{s \in \text{windspeed}} (cdf_h^{frcst}(s, t) - cdf^{meas}(s, t))^2 ds$$



Gaussian Ensemble Dressing: Optimization

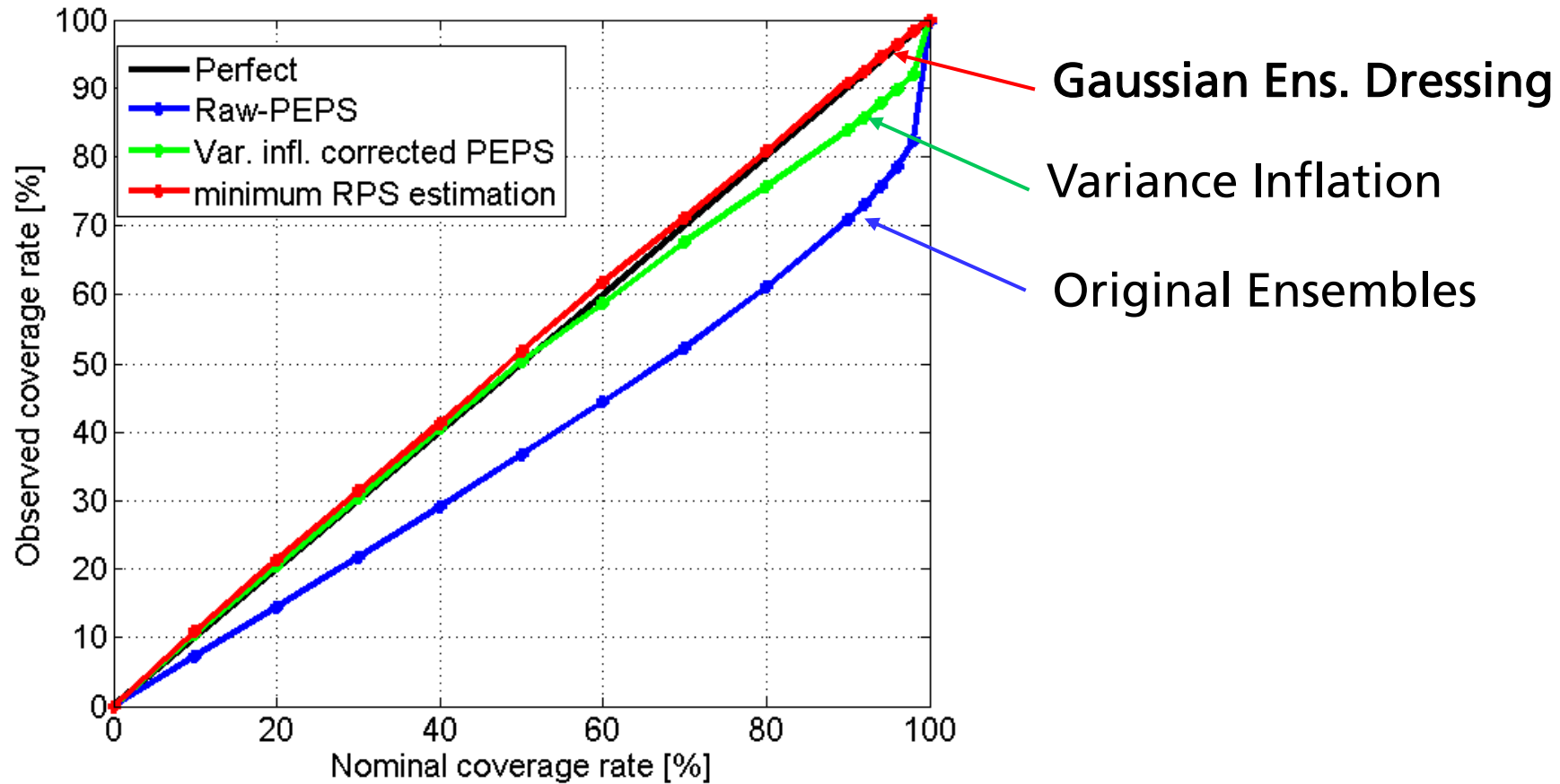
- Optimization cost function: RPS over time, horizons

$$RPS_{\text{cost}} = \iint_{\text{time, horizons}} \Delta cdf(t, h) dt dh$$

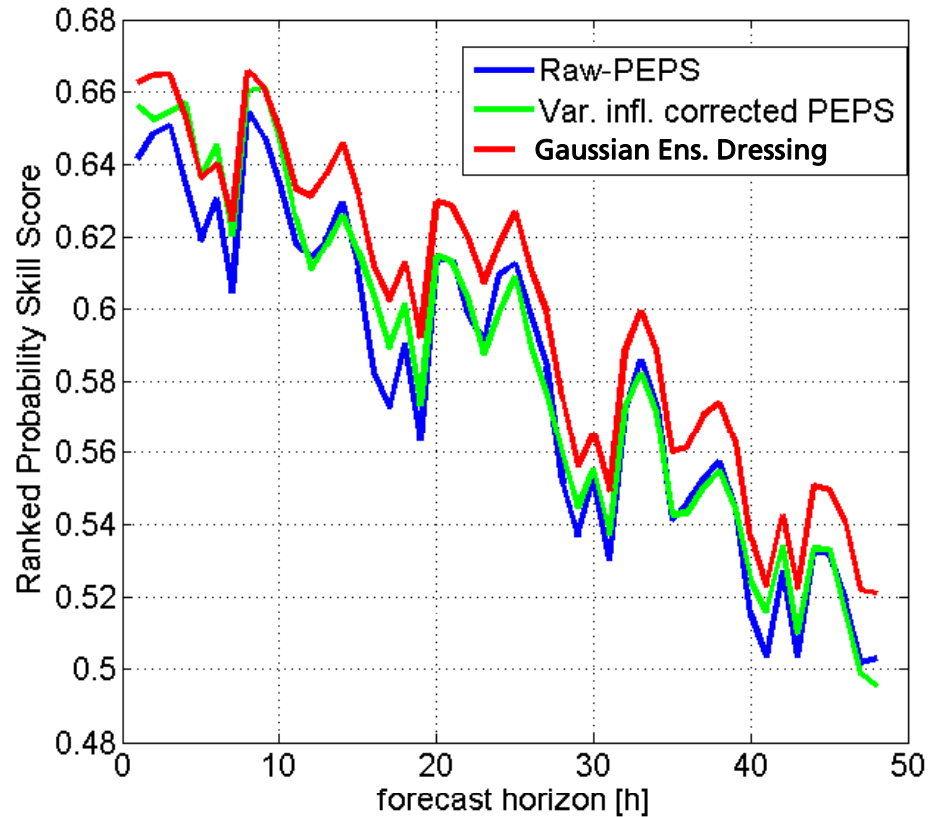
- Optimization algorithm: Simplex



Gaussian Ensemble Dressing: Best Reliability



Gaussian Ensemble Dressing: Best skill across forecast horizons



Ranked Probability Skill Score:

$$RPSS = 1 - \frac{RPS}{RPS_{climatology}}$$

0 → no skill

1 → perfect skill

Gaussian Ensemble Dressing
has clearly higher skill

Conclusions

- Variance scaling is an improvement, but...
- Gaussian Ensemble Dressing is best
 - highest reliability
 - highest skill
- Optimization via RPS minimization works
- Next...
 - Probabilistic **power** forecasts for Alpha Ventus

